	Applications and Interpretation	Analysis and Approaches	
Topic 1:	- Scientific notation.		
Number and	- Arithmetic sequences and series – nth term, sum of, sigma notation, applications, analysis, interpretation		
Algebra	and prediction.		
	 Geometric sequences and series – nth terr 	- Geometric sequences and series – nth term, sum of sigma notation, applications.	
	 Financial applications of geometric – complexity 	- Financial applications of geometric – compound interest, annual depreciation.	
	 Exponent laws (integer exponents). 	- Exponent laws (integer exponents).	
	 Logarithms base 10 and e, numerical evaluation 	Logarithms base 10 and e, numerical evaluations of logarithms.	
	 Sig Fig, decimal places, bounds, 	 Simple deductive proof, numerical and algebraic. 	
	percentage errors, estimation.	 Equality and identity. 	
	 Amortization and annuities using tech. 	 Laws of logarithms, change of base law, solving 	
	- Tech for 3 variables, polynomial	exponential equations.	
	equations.	 Sum of infinitive convergent sequences. 	
		 Binomial theorem and Pascal. 	
Topic 2:	 Equation of straight line, gradients intercepts, gradients, parallel and perpendicular lines. Functions, domain, range, notation, inverse functions, reflection in y=x, mathematical models. 		
Functions			
	 Graph of function, sketch from info given, 	- Graph of function, sketch from info given, tech to graph functions, key features of graphs, intersection of	
	2 graphs using tech.	2 graphs using tech.	
	 Modelling with – 	 Composite functions, identity functions, reversing 	
	- Linear models	inverse.	
	 Quadratic models – intercepts, roots, 	 Quadratic function – all forms and properties. 	
	vertex, axis of symmetry	 Solving quadratics and inequalities. 	
	 Exponential growth and decay, 	 Quad formula and discriminant. 	
	asymptotes	 Reciprocal function, rational functions, asymptotes. 	
	 Direct/inverse variation, asymptotes 	 Exponential functions, logarithmic functions and 	
	- Cubic models	graphs.	
	- Sinusoidal models.	 Solving equations – graphically, analytically, using tech. 	
	 Modelling skills – create, fit and use 	Applications.	
	models and graphs. Develop models,	 Transformations of graphs and composite transf. 	
	context, domain for model, parameter		
	of model, test and reflect, use model to		

	interpret and read then make predictions.	
Topic 3: Geometry and Trigonometry	 Distance between two points in 3D space, and midpoint. Volume and surface area of 3D solids. Circle, length of arc, area of a sector. Angle between two intersecting lines. Angles of elevation and depression, construction of labelled diags. Pythagoras, SOH CAH TOA, Sine and Cosine rule, area of a triangle, non-right-angled trig. 	
	 Perpendicular bisectors. Voronoi diagrams: vertices, edges, cells. Applications of 'toxic waste dump' problem. Exact values of trig ratios (pi/6 etc) Extension of sine rule to ambiguous case. Double angle identities, relationship between trig ratios. Circular functions sin, cos, tan – period, amplitude, graphs etc. Transformations of trig graphs. Real life contexts. Solving trig equations in finite interval. Equations leading to quad equations in sin, cos, tan. 	
Topic 4: Stats and Probability	 Population, sample, random, discrete, continuous, bias, reliability, outliers, sampling techniques and effectiveness. Presentation of data, frequency distributions, histograms, cumulative frequency graphs, median, quartiles, percentiles, range, IQR. Box and whisker diagrams and understanding. Measures of central tendency, estimation of mean, modal class, dispersion (standard deviation, variance, IQR). Effects of constant changes on data, quartiles of discrete data. Linear correlation, Pearson's correlation. 	

	- Equation of regression line, using to predict, interpret meaning of a and b in regression equation.		
	- Concepts of trial, outcome, equally likely outcomes, relative frequency, sample space, event.		
	- Probability of an event, complementary events, expected number of events.		
	- Use of Venn diagrams, tree diagrams, sample space diagrams, tables of outcomes.		
	 Combined events, mutually exclusive even 	- Combined events, mutually exclusive events, conditional probability, independent events.	
	 Discrete random variables, probability dist 	- Discrete random variables, probability distributions, expected value (mean) discrete data. Applications.	
	- Binomial Distribution, mean and variance.	Binomial Distribution, mean and variance.	
	- Normal distribution and curve, properties	of distribution, normal probability, inverse normal.	
	- Spearman's Rank correlation.	- Regression line x on y. Equation for prediction.	
	 Appropriateness and limitations of 	- Formula for probabilities.	
	Pearson's and Spearman's and effect of	- Standardization of normal variables (z-values), inverse	
	outliers on each.	where mean and s.d. are unknown.	
	- Null and alternative hypotheses.		
	significance levels, p-value, expected		
	and observed, chi-squared		
	independence test.		
	- Chi-squared goodness of fit		
	- T-test n-value to compare nonulations		
	One-tailed and two-tailed tests		
Topic 5:	- Introducing limits derivative interpreted a	is gradient function and as rate of change	
Calculus	- Increasing and decreasing functions grant	- introducing initis, derivative interpreted as gradient function and as rate of challen.	
Calculus	- Derivative where all exponents integers		
	Tangonts and normal at given point, and their equations		
	Integration introduction as anti-differentiation		
	 Integration introduction as anti-differentiation. Integration to find constant term (c). Definite integrals using technology. Area of a region enclosed by surve and x axis. 		
	- Values of x where gradient is 0. Finding	- Derivative of trig and logs (sum and multiples of	
	solution where $f'(x)=0$ local may and	these)	
	min points	Chain, product and quotient rules	
	- Ontimisation in context	- Second derivative graphical functions, relationship	
		botwoon function, dor and soc dor	
		between function, der and set der.	

- Approximating areas using trapezoidal	 Local max and min point, testing for these.
rule.	- Optimisation.
	 Points of inflexion with zero and non-zero gradients.
	- Kinematic problems involving s, v, a and total distance
	travelled.
	 Indefinite integrals (including trig).
	 Integration by inspection.
	 Integration by substitution.
	 Definite integrals, including analytical approach.
	 Areas of region enclosed by curve, x-axis and between
	curves. Can be positive or negative.

green is IB1, yellow and blue are the two different courses for IB2.